

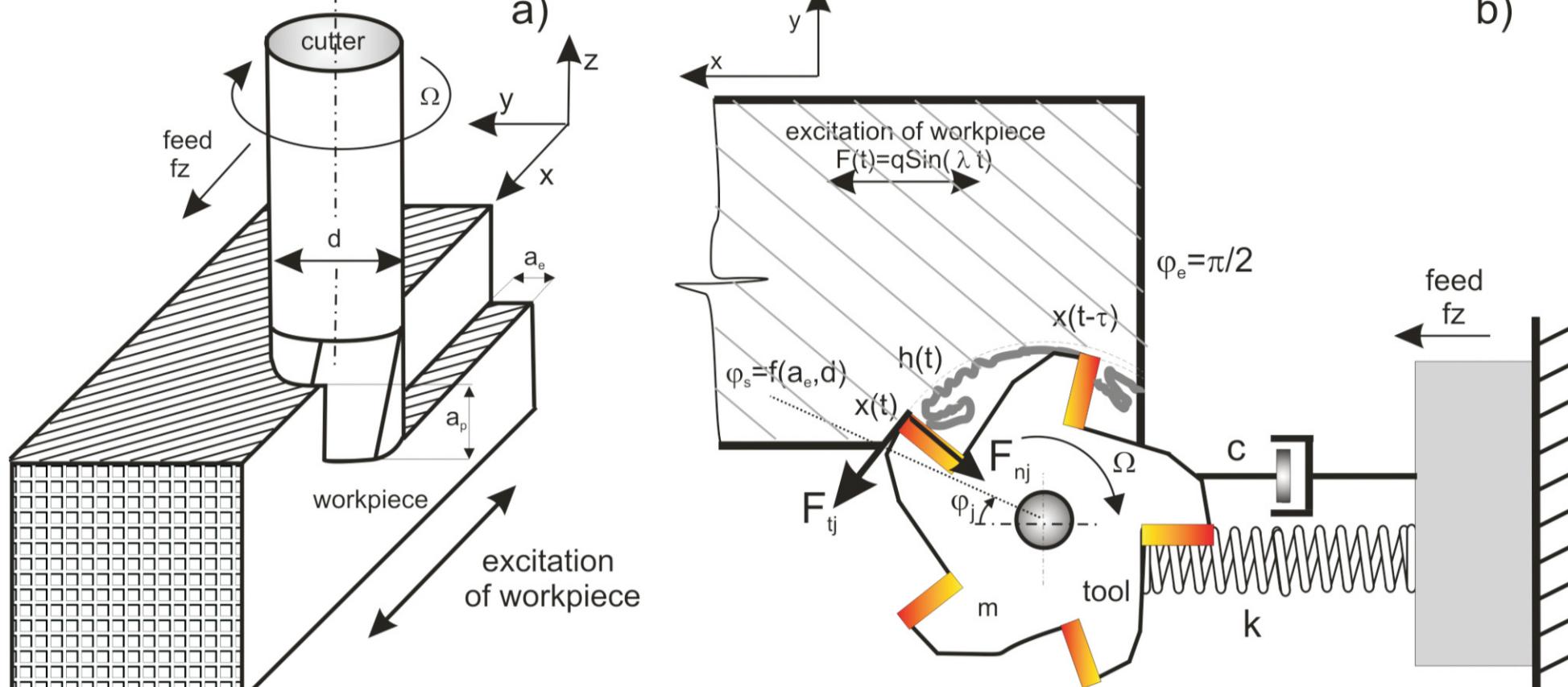
Nowoczesne technologie materiałowe stosowane w przemyśle lotniczym Modern material technologies in aerospace industry

Opracowanie zaawansowanych procesów obróbki HSM trudnoobrabialnych stopów lotniczych Development of advanced processes of HSM of almost unworkable aeronautical alloys

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Wyniki badań Results

Eliminacje zjawiska chatter w procesie obróbki materiałów kompozytowych
The chatter phenomena elimination in machining process of composite materials

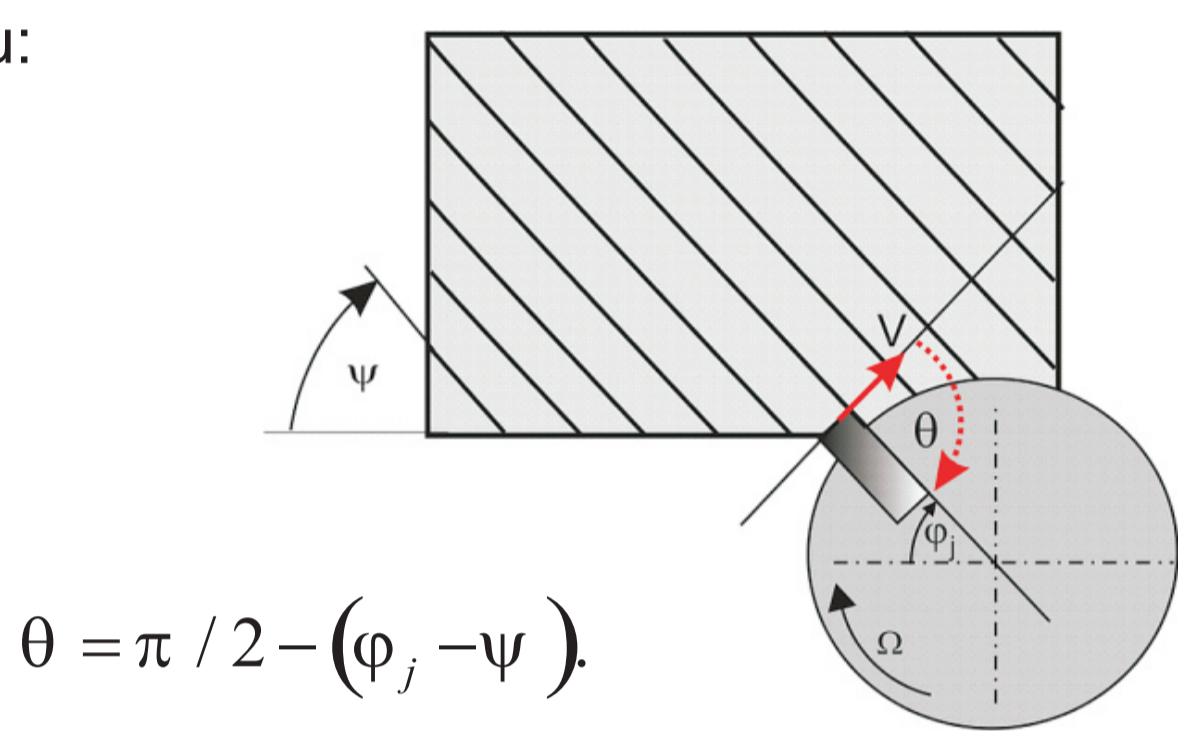


Rys. 1. Model frezowania współbieżnego kompozytu 3D (a) oraz 2D (b)
Fig. 1. One degree of freedom model of down-milling, 3D (a) and 2D (b) for composite milling

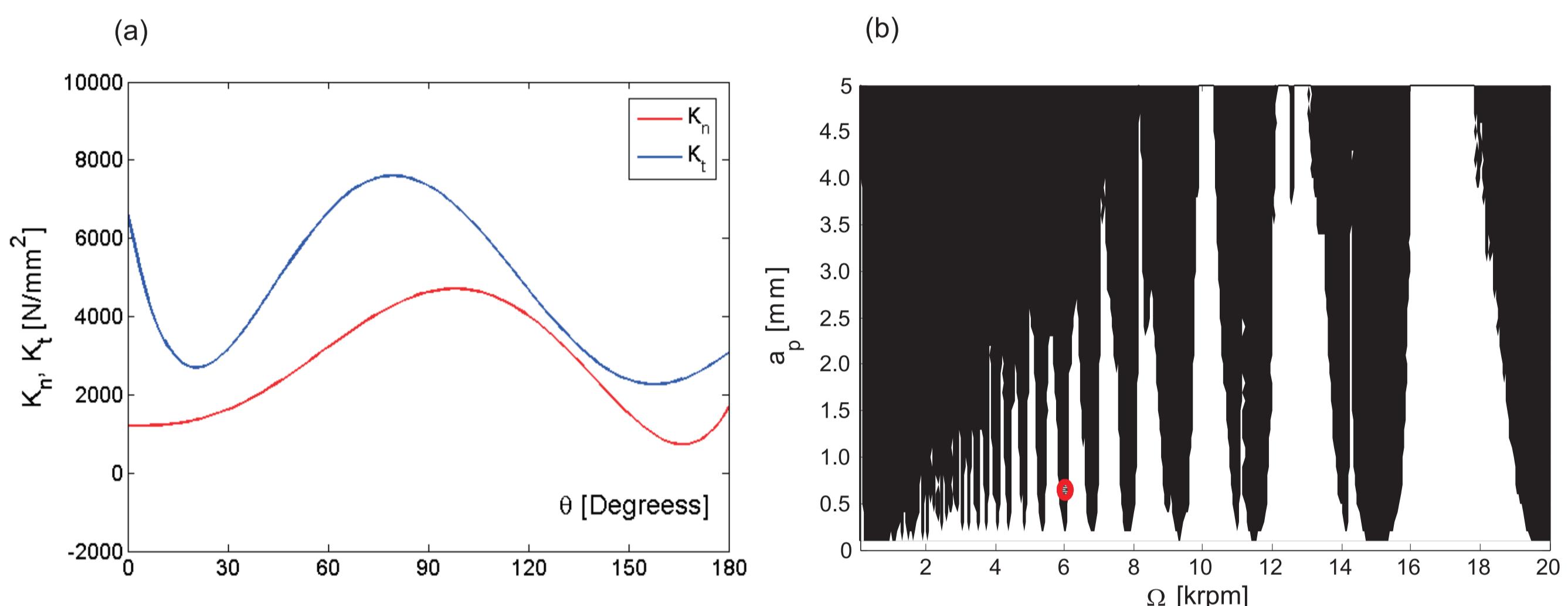
Równanie ruchu modelu frezowania kompozytu:

$$m\ddot{x} + c\dot{x} + kx = a_p h(t)^k (\mathbf{K}_n \sin \varphi - \mathbf{K}_n \cos \varphi) g_j,$$

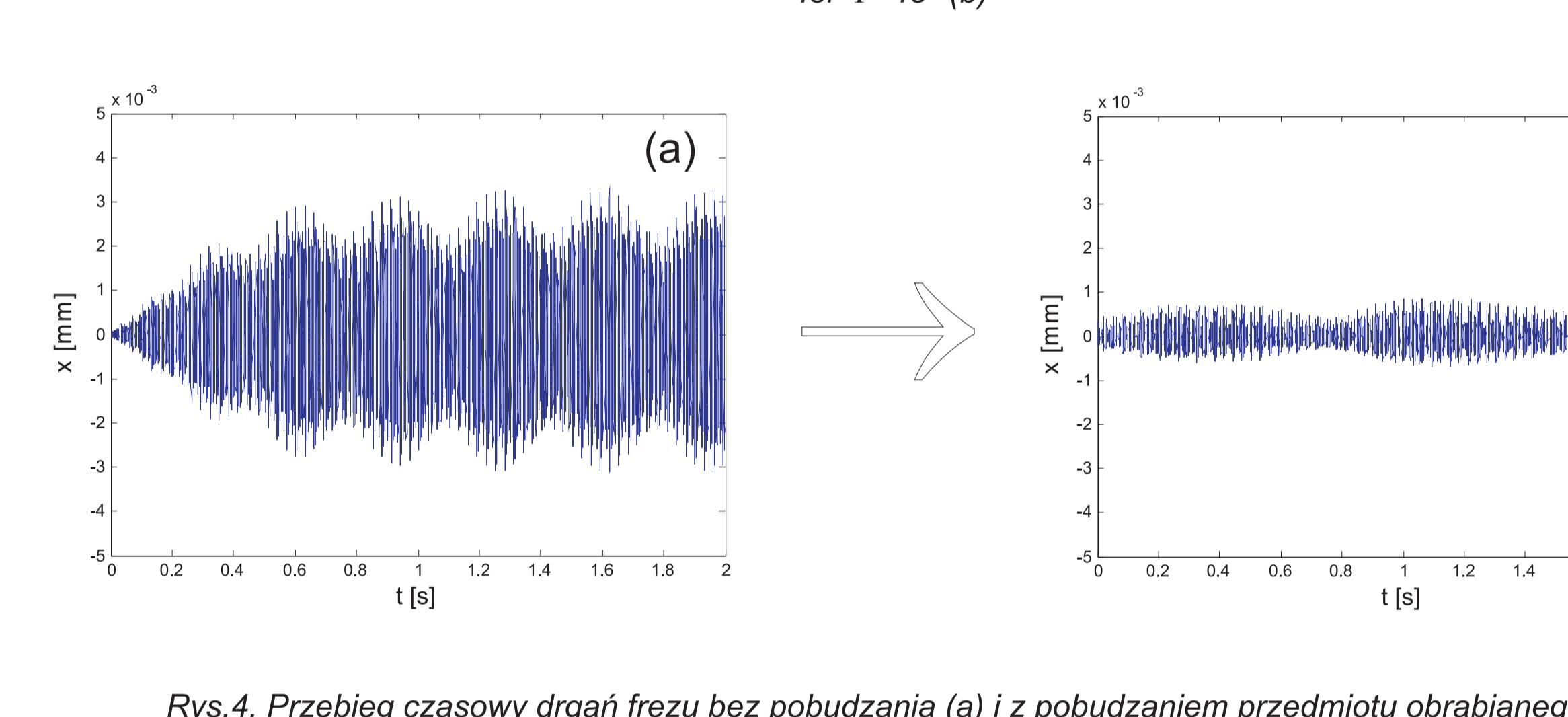
$$h_j = [f_j + x(t) - x(t-\tau)] \cos \varphi - q \sin \varphi,$$



Rys. 2. Modelowanie orientacji włókien laminatu do analizy procesu frezowania współbieżnego
Fig. 2. Modelling of fibre orientation of unidirectional laminate for down milling process

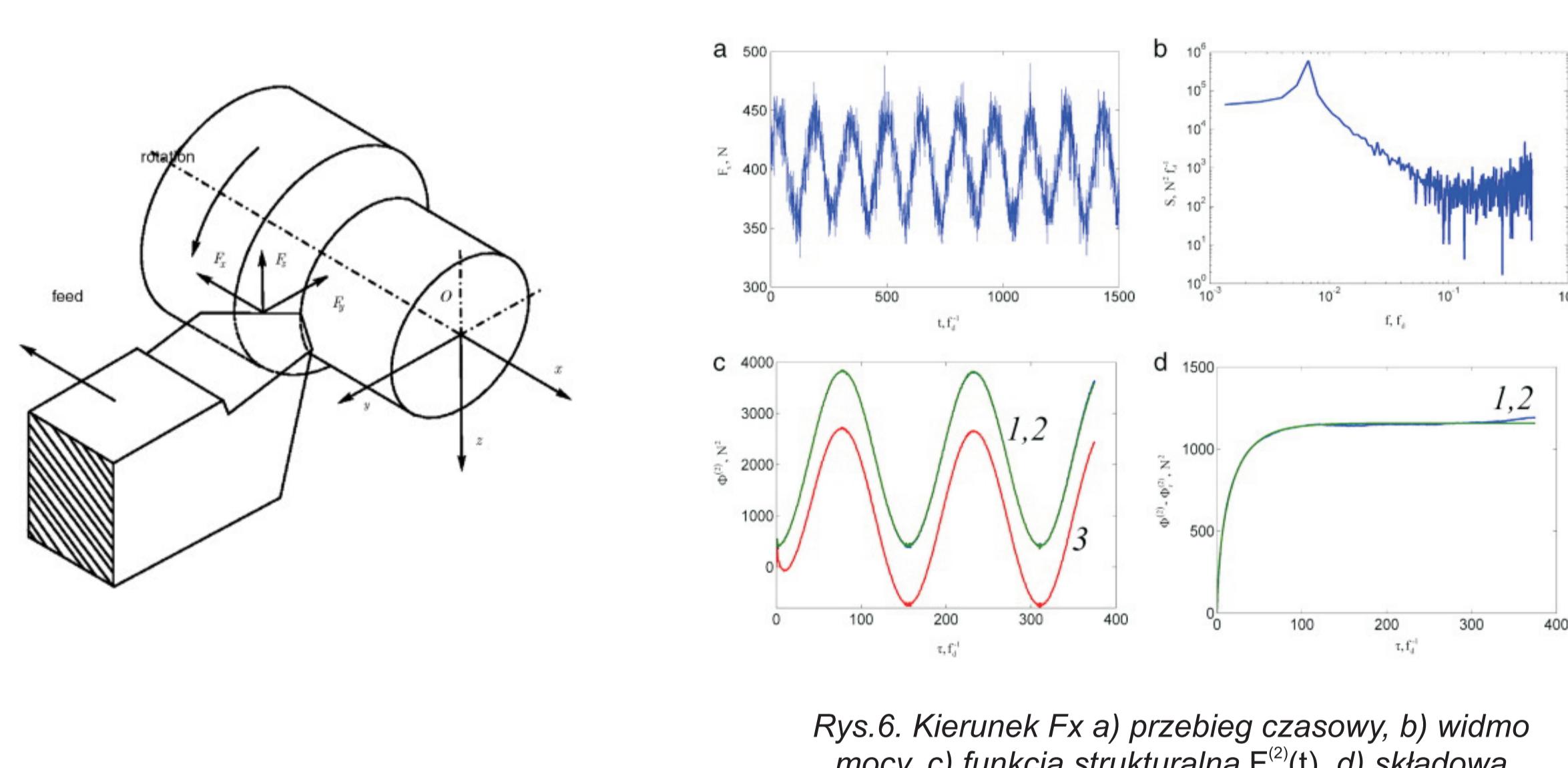


Rys. 3. Zmienność parametrów siły skrawania K_t i K_n ze względu na orientację włókien Θ (a), SLD for composite model for $\Psi=45^\circ$ (b)

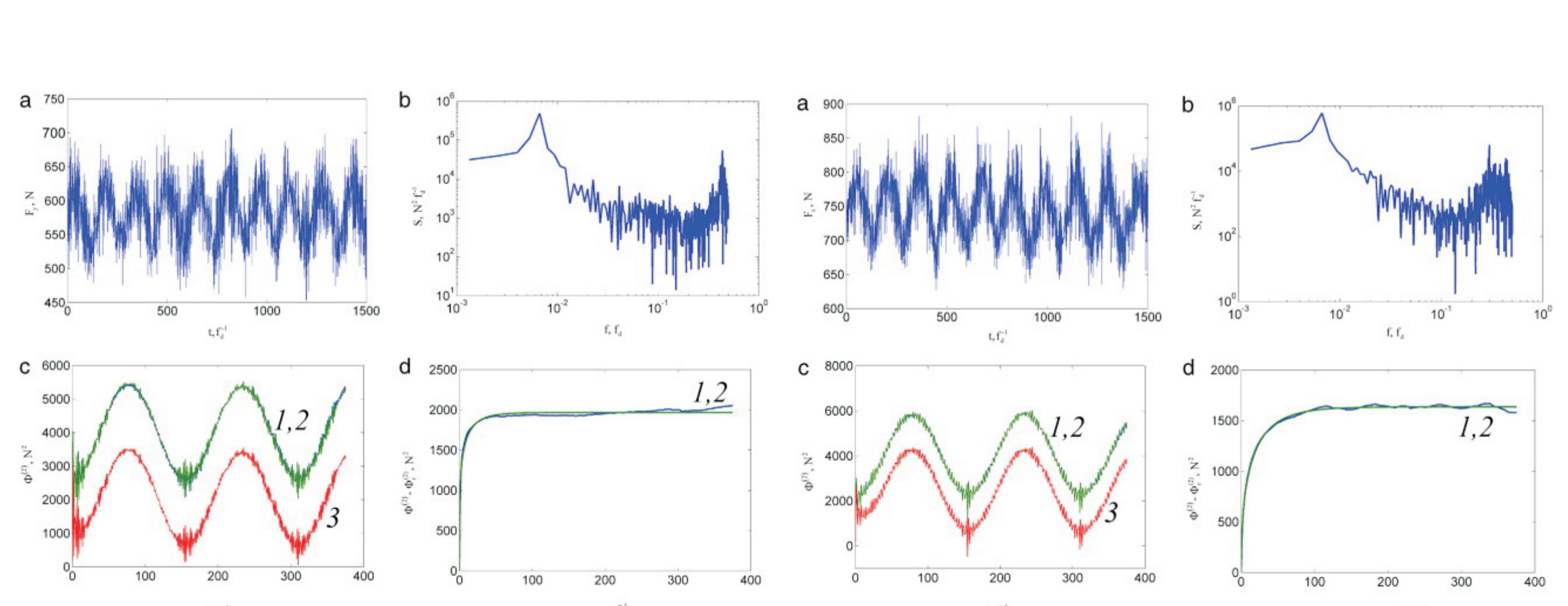


Rys. 4. Time history of tool vibration without activation (a) and activation (b) of workpiece

Badania doświadczalne - toczenie stali kwasoodpornej EZ6NCT25
Experimental studies - turning of stainless steel EZ6NCT25



Rys. 5. Model fizyczny procesu toczenia z efektem regeneracyjnym
Fig. 5. Physical model of a regenerative turning process



Rys. 6. Kierunek F_x a) przebieg czasowy, b) widmo mocy, c) funkcja strukturalna $F^2(t)$, d) składowa stochastyczna $F^3(t)$

Rys. 7. Kierunek F_y a) przebieg czasowy, b) widmo mocy, c) funkcja strukturalna $F^2(t)$, d) składowa stochastyczna $F^3(t)$
Fig. 7. Direction F_y a) time series, b) power spectrum, c) structure functions $F^2(t)$, d) stochastic component of $F^3(t)$

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